

Applying different genomic selection approaches on QTLMAS2010 data

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Genomic Selection

Selection based on genomic information or Genomic EBV

➤ GEBV can be calculated in different ways including different methods within Bayesian framework and GBLUP

Polygenic effect can also be added to the model

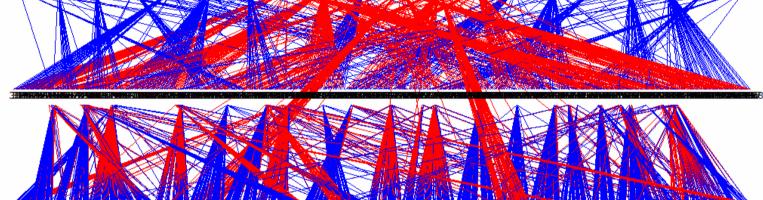






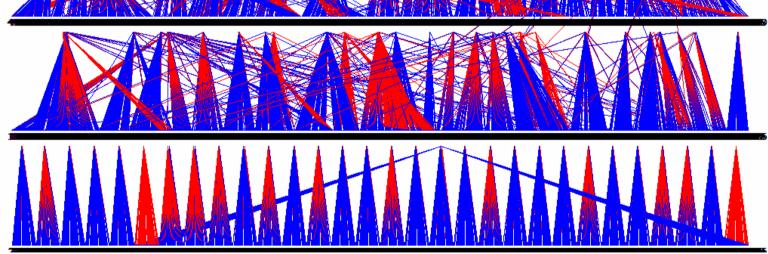
20 Founders

11



5 Generations

2326+900 individuals

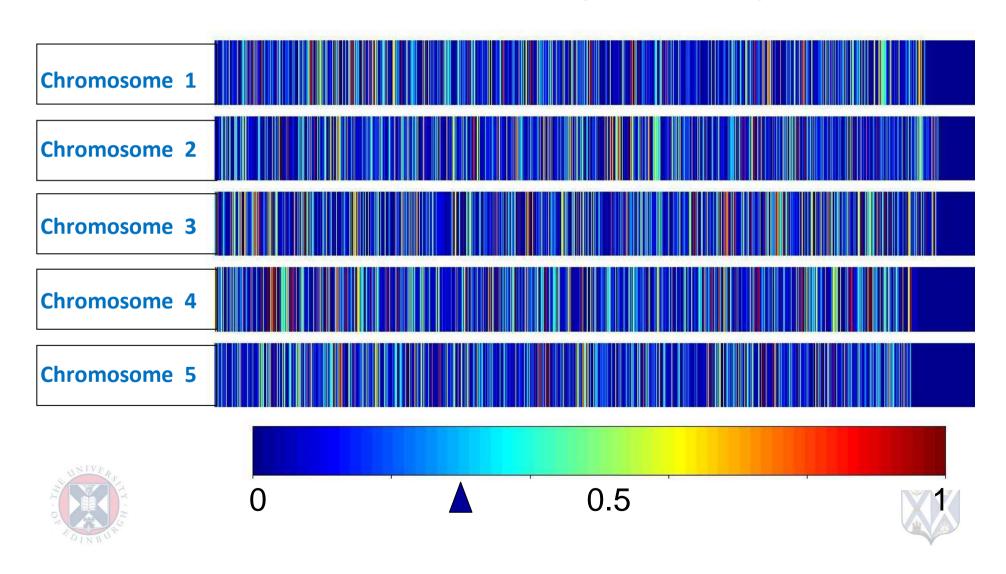








Overall mean r² of adjacent SNP pairs





Approaches used for estimation of GEBV

In the model:	Bayes B type	BLUP type
Genomic (SNP)	GBB	GBLUP
Genomic & Polygenic	GPBB	GPBLUP





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Approaches used for estimation of GEBV

Bayes B type :

- GBB
$$y = \mu + \sum z_i \beta_i + e$$

- **GPBB**
$$y = \mu + \sum z_i \beta_i + Polygenic + e$$

•
$$\beta_i$$
 ~N(0, σ_{snp}^2) with prob Π

•
$$\beta_i$$
 0 with prob (1- Π)

• Polygenic $\sim N(0, A\sigma_{pol}^2)$ A Calculated using pedigree information





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Approaches used for estimation of GEBV

> BLUP type:

- GBLUP
$$Y = \mu + g + e$$

- GPBLUP
$$Y = \mu + g + Polygenic + e$$

- $\begin{array}{lll} \textbf{-} & \textbf{g} & \sim N \ (0, \textbf{G}\sigma_g^{\ 2}) \ , & \textbf{G} : \ \text{Calculate using marker information (IBS relationship)} \\ \textbf{-} & \textbf{Polygenic} & \sim N \ (0, \textbf{A}\sigma_{pol}^{\ 2}) & \textbf{A} \ \ \text{Calculated using pedigree information} \end{array}$
- ASRemI (Gilmour et al. 2000)



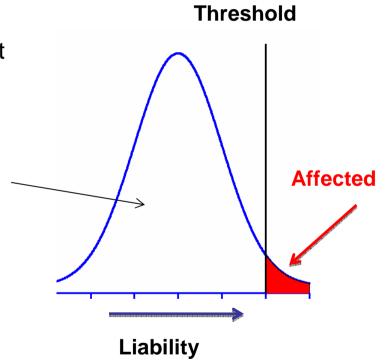




Models for the Binary trait

➤ Bayes B type

➤ Underlying normally distributed liability trait



not affected

≻BLUP type

➤ Logit as the link function.



Care needed when comparing between BB and BLUP type



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Supplementary QTL and association analyses

- Linkage analysis
 - Variance components (Quantitative trait):
 - > IBD matrix at QTL positions
 - Variance components estimation using REML
 - Regression approach, Half-sib analysis (Binary trait)
 - ➢ GridQTL
- Association analysis
 - > GRAMMAR
 - ➤ Phenotypes corrected for polygenic effects were used and SNP additive effects were fitted using **GenABLE** (Aulchenko YS et al 2007)







Genetic variance explained by SNP in BB analyses

Calculated using approximation from infinitesimal model theory

$$Var (EBV) = r^2 \sigma_g^2$$

$$PEV = (1-r^2) \sigma_g^2$$

$$\sigma_{q}^{2} = Var(EBV) + mean (PEV)$$







Heritability estimates: 1- Quantitative trait

		polygenic	SNP (genomic)	Total
	GP BB	16	40	56
BB	G BB	-	47	47
	Polygenic only	55	-	55
	GP BLUP	15	36	51
BLUP	G BLUP	-	42	42
	Polygenic only	54	-	54







Model comparison for the Quantitative trait

		Bayes Factor (BF)
D D	GP BB	51
ВВ	GBB	0
		LRT
BLUP	GP BLUP	12
	GBLUP	0

Better fit when adding polygenic component







Heritability estimates: 2- Binary trait

		Polygenic	SNP	Total	
	GPBB (5	45	50	Liability
BB	G BB		46	46	model
	Polygenic only	43	-	43	
	GP BLUP	~0	65	65	Logit link
BLUP	G BLUP		65	65	Logit lini function
	Polygenic only	44	-	44	

git link ction



Polygenic components were not important

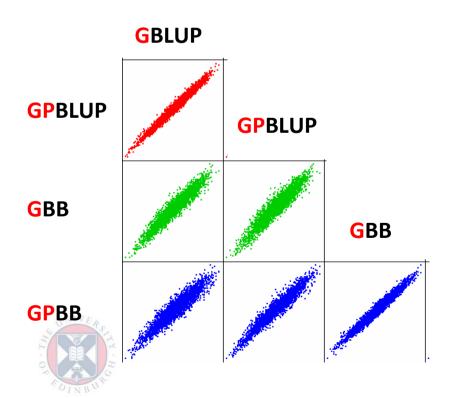


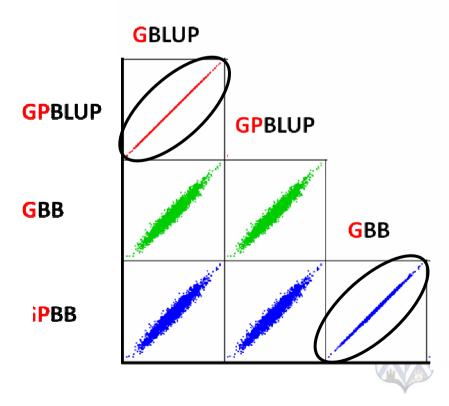


Correlation between EBVs obtained by different methods

Quantitative Trait

Binary Trait







Estimation of the Π (SNP with effects)

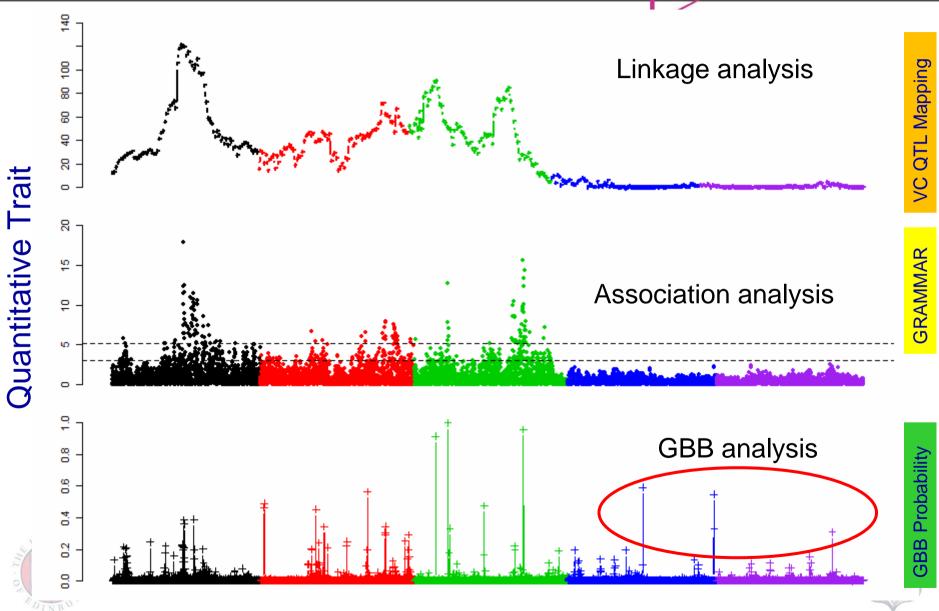
Quantitative Trait	Binary Trait
5%	10%





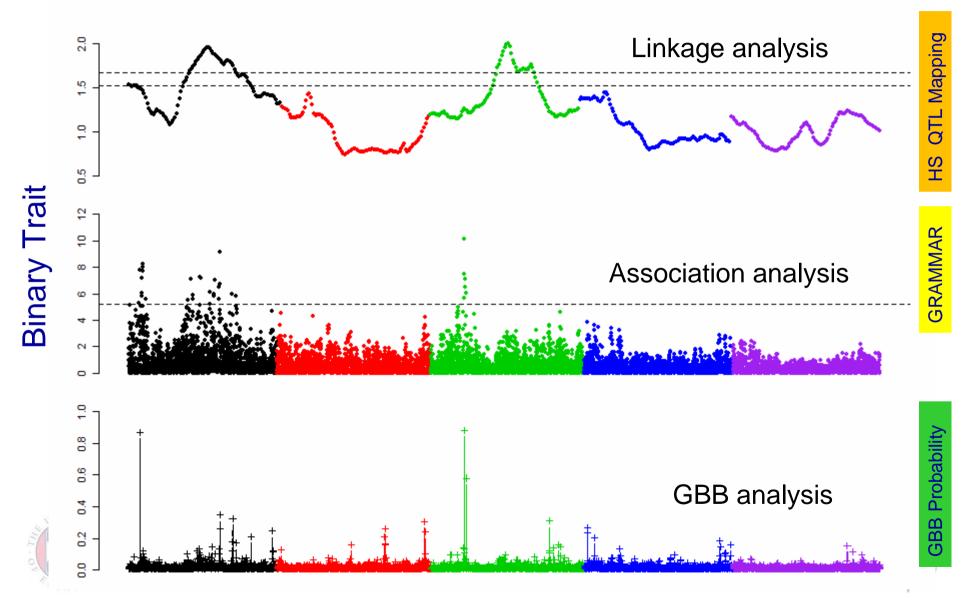
QTL mapping: signals from different approaches (Quantitative trait)





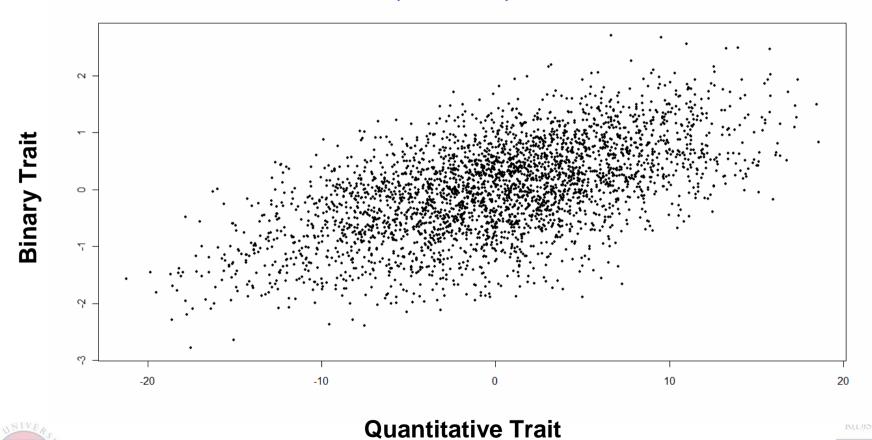
QTL mapping: signals from different approaches (Binary trait)







Relationship between univariate EBVs of the two traits (r²=0.58)



Traits are correlated: Might benefit from a multivariate analysis



Conclusions

- > Adding polygenic effect
 - Quantitative trait: improve model fitting
 - Binary trait: not important

➤ Consistent results were obtained using all 4 approaches (r² grater than 0.94)







Conclusions

➤ Percentage SNP as QTL

Quantitative trait: 5%

Binary trait: 10%

➤ Greatest evidence with all methods for QTLs on chr 1&3 for both traits







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